

- SERIKZHAN BADAEV, *Structure of  $c$ -degrees of positive equivalences.*

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Positive preorders are reflexive and transitive computably enumerable relations on  $\omega$ . We say that a positive preorder  $P$  is computably reducible to a positive preorder  $Q$  (symbolically,  $P \leq_c Q$ ) if there is a computable function  $f$  so that, for every  $x, y \in \omega$ ,  $xPy$  if and only if  $f(x)Qf(y)$ . As usual, we define the  $c$ -degree of a positive preorder  $P$  to be a set  $\{Q : Q \leq_c P \& P \leq_c Q\}$  and consider a partial ordered structure of  $c$ -degrees induced by  $\leq_c$ .

We will talk on algebraic properties of this structure, definable subsets, types of computable isomorphisms inside a  $c$ -degree and other related problems. Besides, we will concern equivalences in the Ershov hierarchy relative to computable reducibility. A survey [1] could be useful as a source of necessary notions and basic facts.

[1] URI ANDREWS, SERIKZHAN BADAEV, AND ANDREA SORBI, *A Survey on Universal Computably Enumerable Equivalence Relations*, **Computability and Complexity** (Adam Day, Michael Fellows, et al. editors), Springer, Cham, 2016, pp. 418–451.